

Q1. State an example to prove that each of the following statements is False:

- a. Any pair of prime numbers are called twin primes, e.g.: (13, 19).

Example of twin primes: _____

- b. Two consecutive numbers can be co-primes only if both are primes, e.g.: (2, 3).

Example of two consecutive co-primes where both numbers are not primes: _____

- c. A set of any three prime numbers is called a prime triplet, e.g.: (2, 5, 13).

Example of a prime triplet: _____

- d. In a pair of co-prime numbers, at least one number should be prime, e.g.: (3, 8).

Example of co-primes where none of the numbers is prime:

Q2. Find the smallest and the greatest 4-digit number which is divisible by both 2 and 3.

Smallest Number: _____

Greatest Number: _____

Q3. Find the digit which should replace * in $89*910$ to make it divisible by 11.

Answer: _____

Q4. Find the prime factors of 3675 and fill in the boxes with the correct numbers:

$$3675 = 2^{\square} \times 3^{\square} \times 5^{\square} \times 7^{\square} \times 11^{\square} \times 12^{\square}$$

Q5. Fill in the blanks with divisible or not divisible to make the following statements always True:

- a. If a number $x = 2y$, then x is _____ by each factor of y .
- b. If a number x is divisible by two co-prime numbers a and b , then x is _____ by ab .
- c. If two numbers p and q are completely divisible by z , then $(p + q)$ is _____ by z .
- d. If a number a is divisible by two co-prime numbers b and c , then a is _____ by $(b + c)$ and $(b - c)$.

Q6. Find whether the following statement is True or not:

All even multiples of 3 are multiples of 2 and 6.

Give reasons in support of your answer.

Answer: _____

Q7. Find whether the following numbers are multiples of 2, 3, 4, 5, 6, 7, 8, 9 and 11. Write Yes in the table if each of the given number is a multiple:

Number	Divi- sible by 2	Divi- sible by 3	Divi- sible by 4	Divi- sible by 5	Divi- sible by 6	Divi- sible by 7	Divi- sible by 8	Divi- sible by 9	Divi- sible by 11
4752									
11000									
1785									

Q8. Find the smallest number, which should be added to 56917, to make it divisible by 4 and 5.

Answer: _____

Q9. A number n is divisible by $2x$ and $2x+1$. Find the smallest value of x , if n is divisible by 6 as well.

$x =$ _____

Q10. Write the smallest number with 2, 3, 4, 5 and 6 digits, which is divisible by 11.

- a. Smallest number with 2 digits divisible by 11 : _____
- b. Smallest number with 3 digits divisible by 11 : _____
- c. Smallest number with 4 digits divisible by 11 : _____
- d. Smallest number with 5 digits divisible by 11 : _____
- e. Smallest number with 6 digits divisible by 11 : _____

Answers

- a. (3, 5); b. (12, 13); c. (3, 5, 7); d. (8, 27)
- Smallest Number: 1002; Greatest Number: 9996
- 9
- $3675 = 2^0 \times 3^1 \times 5^2 \times 7^2 \times 11^0 \times 13^0$
- a. divisible; b. divisible; divisible; not divisible
- True. All even numbers are multiples of 2. So, all even multiples of 3 will be multiples of 2 and 3 both. Since the numbers are divisible by 2 and 3, they will be divisible by 6 also.
- | Number | Divisible by 2 | Divisible by 3 | Divisible by 4 | Divisible by 5 | Divisible by 6 | Divisible by 7 | Divisible by 8 | Divisible by 9 | Divisible by 11 |
|--------|----------------|----------------|----------------|----------------|----------------|----------------|----------------|----------------|-----------------|
| 4752 | Yes | Yes | Yes | — | Yes | — | Yes | Yes | Yes |
| 11000 | Yes | — | Yes | Yes | — | — | Yes | — | Yes |
| 1785 | — | Yes | — | Yes | — | Yes | — | — | — |
- 3
- $x = 1$
- a. 11; b. 110; c. 1001; d. 10010; e. 100001